## BLUE VERSION Score: \_\_\_\_\_ / 50

CAT 5A / MIDTERM EXAM 1 / Spring 2023Ins		structor: Ethan Marzban	
Name: First, then Last	UCSB NetID:	NOT your Perm Number!	
Circle the section you <u>attend</u> :			
Yuan 10 - 10:50am Jason 11 - 11:50am	Nickolas 12 - 12:50pm	Nickolas 1 - 1:50pm	
Your Seat Number:			
Person Sitting to your Left:			
Person Sitting to your Right:			

## Instructions:

- You will have **65 minutes** to complete this exam.
- You are allowed the use of a single 8.5 × 11-inch sheet, front and back, of notes. You are also permitted the use of calculators; the use of any and all other electronic devices (laptops, cell phones, airpods/headphones, etc.) is prohibited.
- For Multiple Choice Questions: fill in the bubble corresponding to your answer directly on the exam. Partial credit will **not** be awarded.
- For Free Response Questions: be sure to include **all** of your work! Correct answers with no supporting work will **not** receive full points.

## • PLEASE DO NOT DETACH ANY PAGES FROM THIS EXAM.

• Good Luck!!!

**Honor Code:** In signing my name below, I certify that all work appearing on this exam is entirely my own and not copied from any external source. I further certify that I have not received any unauthorized aid while taking this exam.

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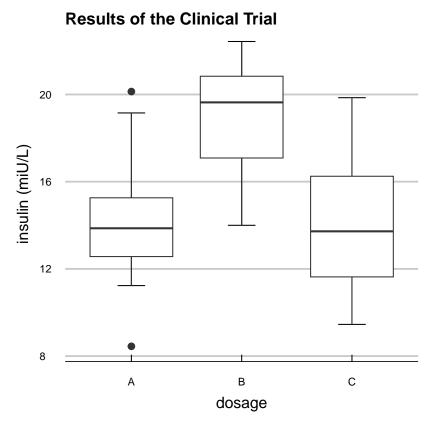
**Problem 1.** If the variable *X* contains measurements on the duration (in minutes) [1pts.] of 100 different flights from SBA to EWR, what is the correct classification of X? ⊖ discrete  $\bigcirc$  continuous  $\bigcirc$  nominal  $\bigcirc$  ordinal **Problem 2.** Suppose a password for a particular website must be 5 characters long, [1pts.] consisting of exactly 2 digits (0 through 9), 2 letters (A through Z), and 1 special character (!, @, #, \$, %), in that order. What is the total number of passwords that can be constructed using this scheme?  $\bigcirc$  1,300 ○ 73,125 ○ 292,500 ) 338,000  $\bigcirc$  None of the above. Problem 3. Jana has run the following code: [1pts.] def f(x, y): """return the sum of x and y""" x + y What will be the output of running f(1, 2)? ○ 3 ○ Nothing  $\bigcirc$  An Error ○ [1, 2]  $\bigcirc$  None of the above. **Problem 4.** Events *A* and *B* are such that  $\mathbb{P}(A) = 0.3$ ,  $\mathbb{P}(B) = 0.8$ , and  $\mathbb{P}(A \cap B) = 0.8$ [1pts.] 0.24. Select the statement that is correct. ○ *A* and *B* are independent, but not disjoint ○ *A* and *B* are disjoint, but not independent ○ *A* and *B* are both disjoint and independent

○ *A* and *B* are neither disjoint nor independent

<b>Problem 5.</b> True or False: If $\{x_i\}_{i=1}^n$ is a set of numbers with mean $\overline{x}$ , then the mean of the set $\{ax_i\}_{i=1}^n$ for a fixed constant <i>a</i> is simply $a \cdot \overline{x}$ .	[1pts.]	
⊖ True		
⊖ False		
O Not Enough Information to Determine		
<b>Problem 6.</b> Guadalupe would like to visualize the relationship between a person's favorite color and their height. Which type of graph should she use?	[1pts.]	
○ A bargraph		
$\bigcirc$ A histogram		
$\bigcirc$ A side-by-side boxplot		
$\bigcirc$ A scatterplot		
$\bigcirc$ None of the above		
<b>Problem 7.</b> In what module is the function make_array() found?	[1pts.]	
○ datascience		
○ numpy		
<pre>     python_arrays </pre>		
$\bigcirc$ None of the above		
<b>Problem 8.</b> In a variable re-assignment statement in Python, which side of the equality does Python evaluate first?	[1pts.]	
○ Right		
⊖ Left		
<b>Problem 9.</b> In order for $\mathbb{P}(A \mid B)$ to be defined for two events <i>A</i> and <i>B</i> , which of the following conditions must be true? <b>Select only ONE answer choice</b> .	[1pts.]	
$\bigcirc \ \mathbb{P}(A)  eq 0$		
$\bigcirc \mathbb{P}(B) \neq 0$		
$\bigcirc \mathbb{P}(A \cap B) \neq 0$		
$\bigcirc \mathbb{P}(A \cup B) \neq 0$		
$\bigcirc$ None of the above.		
<b>Problem 10.</b> Which of the following is <b>not</b> a measure of spread?	[1pts.]	
Interquartile Range		
○ Standard Deviation		
$\bigcirc$ 50 <sup>th</sup> Percentile		
○ Range		
$\bigcirc$ None of the above		

## **Free Response Questions**

**Problem 11.** In a clinical trial, subjects were administered one of three different dosages of a particular drug. 3 hours later, the insulin count (in miU/Liter) of each subject was taken and recorded. The results of the trial are displayed below:



(a) Provide the 5-number summary for the insulin levels of subjects who were [3pts.] administered dosage *A*. Round your numbers to the nearest decimal place.

(b) Approximately what percent of subjects who were administered dosage *C* [2pts.] had insulin levels lower than 16.1 miU/L?

(c) Does there appear to be a difference in insulin levels across dosages? Explain in one or two brief sentences. [3pts.]

Problem 12. Consider the set of numbers

$$B = \{-2, -1.5, 0, 8\}$$

(a) Compute  $\overline{b}$ , the mean of *B*.

(b) Compute the standard deviation of *B*.

(c) Compute the median of *B*.

[2pts.]

[3pts.]

[4pts.]

- **Problem 13.** Three numbers are to be selected at random from the set  $\{-1, 1\}$ . Assume we replace the numbers after each draw, and assume that the order in which the numbers are selected <u>is</u> important.
  - (a) Write down the outcome space  $\Omega$  for this experiment. [3pts.]

(b) How many elements are in  $\Omega$ ?

[2pts.]

(c) Are we justified in using the Classical Approach to probability in this problem? Why or why not? [1pts.] (d) Let *A* denote the event "the first number selected was greater than the second number selected." Write down the mathematical formulation of *A*; i.e. identify the outcomes that are contained in *A*.

(e) Let *E* denote the event "the sum of the three numbers selected is 1". Compute  $\mathbb{P}(E)$  using the classical approach to probability. [4pts.]

<b>Problem 14.</b> It is known that 5% of people in the town of <i>Gauchoville</i> are affected by a particular disease. There is a test for this disease, however it is imperfect-specifically, it has a 25% false positive rate and a 10% false negative rate.	
(a) Define appropriate notation (i.e. define relevant events), and translate the information provided into the problem to be in terms of the events you define.	[2pts.]

(b) What is the probability that a randomly selected person will both have the [2pts.] disease <u>and</u> test positive?

(c) What is the probability that a randomly selected person will test positive? [3pts.]

(d) Suppose Fatima has tested herself for the disease, and her test returned a [3pts.] positive result. What is the probability that she actually has the disease?

You may use this page for scratch work, if necessary. Keep in mind that NOTHING on this page will be graded.

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